

[P+I] p. 168-169 CE# 1-2 and WE# 5-10

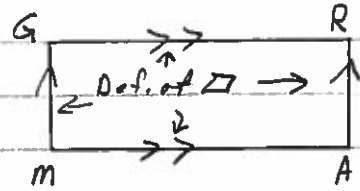
CE 1. Given: \square GRAM

a. $\angle G$ is supp. to $\angle M$ [S.S. Int. \angle s Thm]

b. $\angle M$ is supp. to $\angle A$ ["]

c. Consecutive angles of a \square

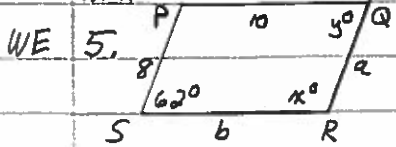
are supplementary, while opposite \angle s are \cong .



2. Given: $\angle M$ is a right \angle

Conclusion: $\angle A, \angle R, \angle G$ are all right \angle s. (See 1c.)

For #5-10, PQRS is a \square .

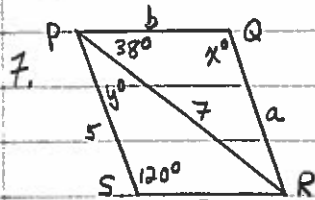


① $a = 8, b = 10$ [Opp. sides of a \square are \cong]

② $y = 62$ [Opp. \angle s of a \square are \cong]

③ $x + 62 = 180$ [Consec. \angle s of a \square are supp.]

$x = 118$

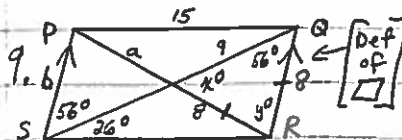


① $x = 120$ [Opp. \angle s of a \square are \cong]

② $a = 5, b = 3$ [Opp. sides of a \square are \cong]

③ $y + 38 + 120 = 180$ [Consec. \angle s of a \square are supp.]

$y = 22$



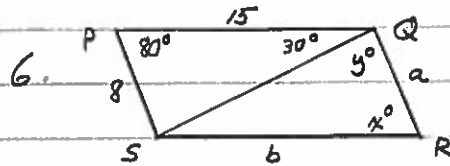
① $a = 8$ [Diagonals of a \square bisect each other]

② $b = 8$ [Opp. sides of a \square are \cong]

③ $m\angle SQR = 56^\circ$ [Alt. Int. \angle s Thm]

④ $x = 56$ [Base \angle s Thm]

⑤ $y = 68$ [Δ Sum Thm]

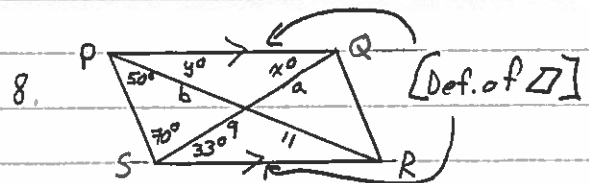


① $a = 8, b = 15$ [Opp. sides of a \square are \cong]

② $x = 80$ [Opp. \angle s of a \square are \cong]

③ $y + 30 + 80 = 180$ [Consec. \angle s of a \square are supp.]

$y = 70$

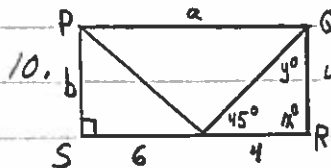


① $a = 9, b = 11$ [Diagonals of a \square bisect each other]

② $x = 33$ [Alt. Int. \angle s Thm]

③ $y + 50 + 70 + 33 = 180$ [Consec. \angle s of a \square are supp.]

$y = 27$



① $x + 90 = 180$ [Consec. \angle s of a \square are supp.]

$x = 90$

② $y = 45$ [A sum thm]

③ $QR = 4$ [Base \angle s Thm]

④ $a = 10$
 $b = 4$ [Opp. sides of a \square are \cong]

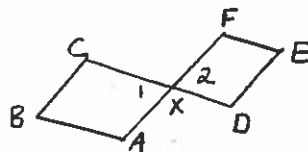
A#40 continued

Key

Pt II p. 169-170 WE #16, 22-24, 27-28, 30-31

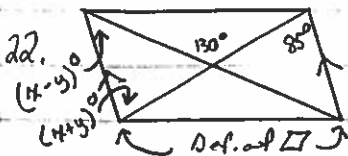
WE. 16. Given: $\square ABCX$, $\square DXFE$

Prove: $\angle B \cong \angle E$



Statements	Reasons
1. $\square ABCX$, $\square DXFE$	1. Given
2. $\angle B \cong \angle 1$, $\angle 2 \cong \angle E$	2. Opp. \angle s of a \square are \cong
3. $\angle 1 \cong \angle 2$	3. Vert. \angle s Thm
4. $\angle B \cong \angle E$	4. Trans. Prop. of \cong

\square for #22-24



① $x-y+x+y=130$ [Ext \angle of a Δ Thm]

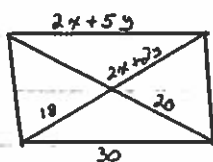
$2x=130$

$x=65$

② $x+y=85$ [Alt. Int. \angle s Thm]

$y=20$

23.



① $2x+5y=30$ [Opp. sides of a \square are \cong]

② $2x+2y=18$ [Diagonals of a \square bisect each other]

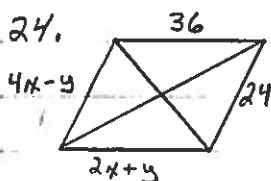
$3y=12$

$y=4$

$2x+8=18$

$2x=10 \rightarrow x=5$

24.



① $4x-y=24$ [Opp. sides of a \square are \cong]

$2x+y=36$

$6x=60$

$x=10$

$20+y=36$

$y=16$

27. ① $m\angle 1 = 3x$, $m\angle 2 = 4x$, $m\angle 3 = x^2 - 70$ [Given]

For #27-28. $\square DECK$

② $m\angle 1 = m\angle 3$ [Alt. Int. \angle s Thm]

$3x = x^2 - 70$

$0 = x^2 - 3x - 70$

$0 = (x-10)(x+7)$

$x = 10, -7$

$x = 10$

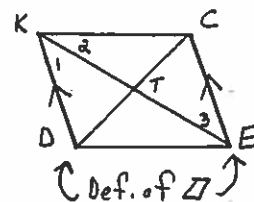
$x = -7$

$m\angle 1 = -21$ X No neg measures!

$x = 10$

$m\angle 1 = 30^\circ$, $m\angle 2 = 40^\circ$, $m\angle 3 = 30^\circ$ ✓

③ $m\angle DKC = 70^\circ$ [\angle Add Post]



④ $m\angle CED = m\angle DKC$ [Opp. \angle s of a \square are \cong]

$m\angle CED = 70^\circ$

28. ① $m\angle 1 = 4x^2$, $m\angle 2 = x^2$, $m\angle CED = 13x$ [Given]

② $m\angle CED = m\angle 1 + m\angle 2$ [Opp. \angle s of a \square are \cong / \angle Add Post]

$13x = 4x^2 + x^2$

$0 = x^2 - 13x + 4x^2$

$0 = (x-6)(x-7)$

$x = 6, 7$

$x = 6$ or $x = 7$

$m\angle 2 = 36^\circ$ or $m\angle 2 = 49^\circ$

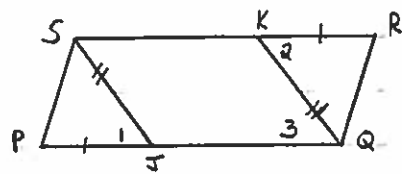
A#40 Continued

D. 170 WE #30-31

Key

WE 30. Given: $\square JQKS$; $\overline{PJ} \cong \overline{RK}$

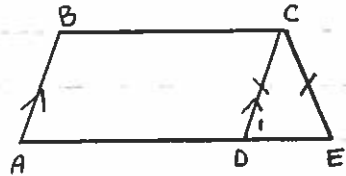
Prove: $\angle P \cong \angle R$



statements	Reasons
1. $\square JQKS$, $\overline{PJ} \cong \overline{RK}$	1. Given
2. $\overline{SJ} \cong \overline{KQ}$	2. Opp. sides of \square are \cong
3. $\overline{SJ} \parallel \overline{KQ}$, $\overline{SK} \parallel \overline{JQ}$	3. Def. of \square
4. $\angle 1 \cong \angle 3$	4. Corr. \angle s Post.
5. $\angle 2 \cong \angle 3$	5. Alt. Int. \angle s Thm
6. $\angle 1 \cong \angle 2$	6. Trans. Prop. of \cong
7. $\triangle PJS \cong \triangle RKQ$	7. SAS \cong Post.
8. $\angle P \cong \angle R$	8. CPCTC

31. Given: $\square ABCD$, $\overline{CD} \cong \overline{CE}$

Prove: $\angle A \cong \angle E$



statements	Reasons
1. $\square ABCD$, $\overline{CD} \cong \overline{CE}$	1. Given
2. $\overline{AB} \parallel \overline{DC}$	2. Def. of \square
3. $\angle A \cong \angle 1$	3. Corr. \angle s Post.
4. $\angle 1 \cong \angle E$	4. Base \angle s Thm
5. $\angle A \cong \angle E$	5. Trans. Prop. of \cong